

Solve each of the following.

Name _____

Put answers in set building notation and graph the solution.

1. $\frac{d}{6} - 16 < -9$

1. { _____ }

1. _____

2. $\frac{m}{3} + 5 < 2$

2. { _____ }

2. _____

3. $\frac{k+10}{3} > 5$

3. { _____ }

3. _____

4. $5p - 3(p - 6) \leq 0$

4. { _____ }

4. _____

5. $2(5t - 25) + 5t < -80$

5. { _____ }

5. _____

6. $\frac{z}{4} + 7 \geq -5$

6. { _____ }

6. _____

Put answers in set building notation and graph the solution.

7. $4n - 6 > 6n - 20$

7. { _____ }

7. _____

8. $\frac{2r + 3}{5} > 7$

8. { _____ }

8. _____

9. $\frac{1}{2}t - \frac{1}{3}t > -1$

9. { _____ }

9. _____

10. $\frac{3}{4}a - \frac{1}{2} < -\frac{4}{5}a + \frac{1}{4}$

10. { _____ }

10. _____

11. $2(3t - 5) + 4t < -12$

11. { _____ }

11. _____

12. $\frac{1}{3}t - \frac{3}{4} > \frac{1}{2}t + \frac{2}{3}$

12. { _____ }

12. _____

13. $\frac{3}{7}(7t - 28) + 5t < \frac{-2}{9}(18t - 27) + 7$

13. { _____ }

13. _____

14. $5w > 4(2w - 3)$ and $5(w - 3) + 2 < 7$

14. { _____ and _____ }

14. _____

15. $4t + 8 \geq t + 6$ or $7t - 14 \geq 2t - 4$

15. { _____ or _____ }

15. _____

16. $5r - 2 \geq -17$ and $r \neq 3$

16. { _____ and _____ }

16. _____

Put answers in set building notation and graph the solution.

17. $-11 < 3a + 4 \leq 7$

17. { _____ and _____ }

17. _____

18. $|y + 3| \geq -7$

18. { _____ }

18. _____

19. $|2x + 3| < 11$

19. { _____ }

19. _____

20. $|2r - 5| \leq 9$

20. { _____ }

20. _____

Put answers in set building notation and graph the solution.

21. $\left| \frac{2j + 3}{5} \right| \geq 9$

21. $\{ \underline{\hspace{10em}} \}$

21. $\underline{\hspace{10em}}$

22. $|3x + 10| \geq 5$

22. $\{ \underline{\hspace{10em}} \}$

22. $\underline{\hspace{10em}}$

23. $|7x + 2| < -12$

23. $\{ \underline{\hspace{10em}} \}$

23. $\underline{\hspace{10em}}$

Matching - Match the **best** response to each statement.

Statements

Responses

- | | |
|---|---|
| 1._____ The “and” compound inequality | A. Used to signify that there are too many solutions to list, but all those solutions will share some notable characteristic, e.g. $\{x \mid x > 5\}$ |
| 2._____ $ 2x + 3 \geq -5$ | B. Example of absolute value inequality that will be written as a compound “and” statement and will have a traditional answer. |
| 3._____ Changing the direction of an inequality sign | C. Usually has a solution that graphs as diverging arrows, on occasion will have an answer as R , statement that cannot be crunched together. |
| 4._____ $ 9x - 8 < 23$ | D. Defined as a measure of magnitude, results in non-negative numbers being reported. |
| 5._____ The “or ” compound inequality | E. The graphical solution that is interpreted as the only numerical values capable of solving both statements in an “and” compound inequality. |
| 8._____ $ 11x + 5 < -19$ | F. This is done anytime multiplication or division by a negative number occurs. |
| 7._____ Absolute value | G. Example of absolute value inequality that will have $\{\}$ - “the empty set” as a solution |
| 6._____ Significance of shaded region for “or ” statements | H. Example of absolute value inequality that will be written as a compound “or” statement and will have a traditional answer. |
| 9._____ $ 5x + 43 \geq 67$ | I. Usually has a solution that graphs as dumb-bell, on occasion will answer as $\{\}$, statement that can be crunched together. |
| 10._____ $w \neq 7$ | J. Example of absolute value inequality that will have R - “all reals” as a solution |
| 11._____ Set Building Notation | K. The graphical solution that is interpreted as the only numerical values capable of solving either statement in an “or” compound inequality. |
| 12._____ Significance of shaded region for “and” statements | L. Restricted value - means that any number other than that particular one can be used. |